

Testing the consistency of different supernova surveys

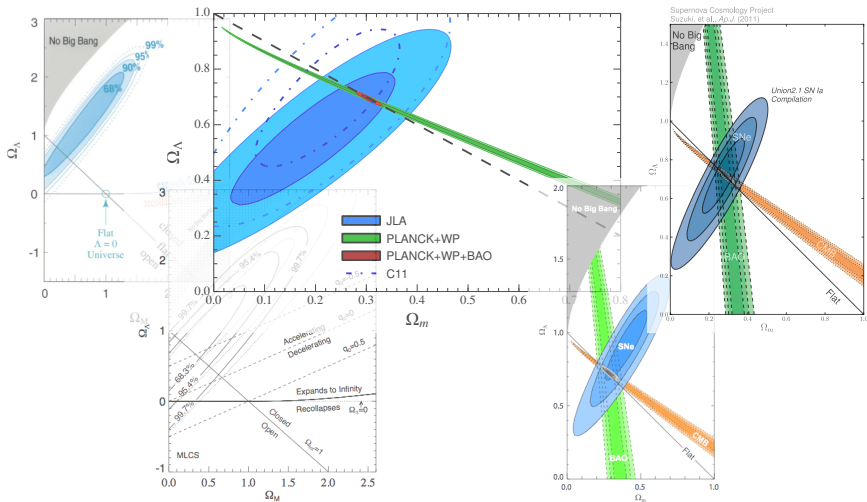
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29th May, 2014

Statistical Challenges in 21st Century Cosmology



There is no example of a single survey delivering interesting supernova constraints on its own



Assume two hypothesis:

H_0 - data-sets are mutually consistent

H_1 - the data-sets are inconsistent with one another, resulting in each one favouring a different region of the model parameter space.

Hypothesis are equally likely *a priori*.

$$\mathcal{R} = \frac{\Pr(\mathbf{D}|H_0)}{\Pr(\mathbf{D}|H_1)} = \frac{\Pr(\mathbf{D}|H_0)}{\prod_i \Pr(D_i|H_1)}.$$

Examples of beyond Λ CDM inference

- Model selection between isotropic and anisotropic models
- Looking for weak lensing effects in SNe data

For SN cosmology χ^2 defined as:

$$\chi^2(\mathcal{C}, \alpha, \beta, M, \sigma_{\text{int}}) = \sum_{i=1}^N \frac{[\mu_i^{\text{obs}}(\alpha, \beta, M) - \mu_i(\mathcal{C})]^2}{\sigma_i^2(\alpha, \beta, \sigma_{\text{int}})}$$

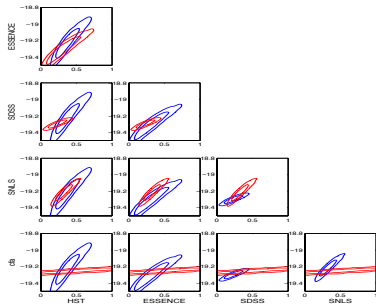
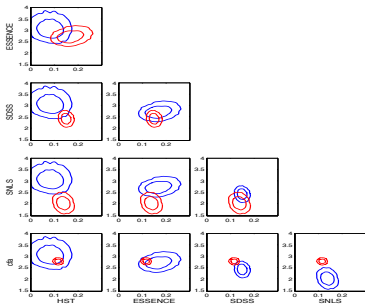
$$\mu_i^{\text{obs}}(\alpha, \beta, M) = \hat{m}_{B,i}^* - M + \alpha \hat{x}_{1,i} - \beta \hat{c}_i$$

"Likelihood"

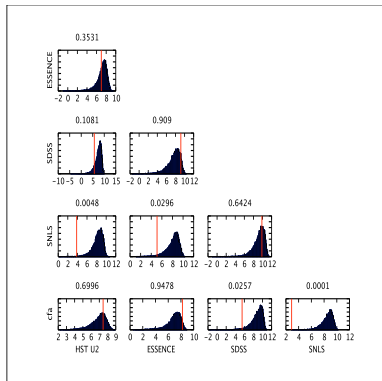
$$\mathcal{L}(\mathcal{C}, \alpha, \beta, M, \sigma_{\text{int}}) = \exp\left\{-\frac{\chi^2(\mathcal{C}, \alpha, \beta, M, \sigma_{\text{int}})}{2}\right\}$$

Parameters

$$\mathcal{C}, \alpha, \beta, M, \sigma_{\text{int}}$$

Ω_M vs M  α vs β 

R-values, red line is a real data



α vs β

